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| *Year 6/7 Mathematics*  Essential Learnings  Knowledge and Understanding | **Year 1 (2009-2010)** | | | | | | | | | **Year 2 (2010-2011)** | | | | | | | | |
| **Semester 1** | | | | | | **Semester 2** | | | **Semester 1** | | | | | | **Semester 2** | | |
| Term 1 | | | Term 2 | | | Term 3 | | | Term 1 | | | Term 2 | | | Term 3 | | |
| Number  *Numbers, key percentages, common and decimal fractions and a range of strategies are used to generate and solve problems.* | **Number** | **Algebra** | **Measurement** | **Number** | **Space** | **Chance & Data** | **Number** | **Algebra** | **Measurement** | **Number** | **Algebra** | **Chance & Data** | **Number** | **Space** | **Measurement** | **Number** | **Chance & Data** | **Space** |
| Whole numbers, including positive and negative numbers, and common and decimal fractions can be ordered and compared using a number line. | √ |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |
| Common fractions can be represented as equivalent fractions, decimals and percentages for different purposes  e.g. 2/5 = 4/10 = 0.4 = 40%. | √ |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |
| Percentages, rate, ratio and proportion can be used to describe relationships between quantities and to solve problems in practical situations involving money, time and other measures  e.g. if a breakfast drink contains 10% mango juice, 20% pineapple juice, 30% orange juice and the rest is water, how many millilitres of each juice is there in a 2-litre container of the breakfast drink?; find the number of girls in a school as a proportion of the total number of students in the school; for two similar products such as breakfast cereal, determine which is better value by comparing the mass of cereal in each package and the cost. |  |  |  | √ |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |
| Estimation strategies including rounding, and estimates based on powers of 10, assist in checking for reasonableness of calculations involving whole numbers and common and decimal fractions  e.g. 38.25 × 52.88 rounds to 40 × 50, so the answer will be approximately 2000. |  |  |  | √ |  |  |  |  |  | √ |  |  | √ |  |  |  |  |  |
| Problems can be interpreted and solved by selecting from the four operations and mental, written and technology-assisted strategies  e.g. find the price of a $68.00 shirt with 25% discount. |  |  |  | √ |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |
| Financial decisions and transactions are influenced by a range of factors, including value for money, discounts, method of payment, and available income or savings  e.g. interest earned is reduced when savings are spent. |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  | √ |  |  |
| Budgets and financial records are used to monitor income, savings and spending  e.g. using bank statements and ATM slips to review and manage a personal budget. |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  | √ |  |  |
| Cashless transactions include the use of cheques, EFTPOS, credit and debit cards, and money orders. |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  | √ |  |  |

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| Algebra  *Algebraic expressions and equations can be applied to describe equivalence and solve problems.* | **Year 1 (2009-2010)** | | | | | | | | | **Year 2 (2010-2011)** | | | | | | | | |
| **Semester 1** | | | **Semester 2** | | | | | | **Semester 1** | | | | | | **Semester 2** | | |
| Term 1 | | | Term 2 | | | Term 3 | | | Term 1 | | | Term 2 | | | Term 3 | | |
| **Number** | **Algebra** | **Measurement** | **Number** | **Space** | **Chance & Data** | **Number** | **Algebra** | **Measurement** | **Number** | **Algebra** | **Chance & Data** | **Number** | **Space** | **Measurement** | **Number** | **Chance & Data** | **Space** |
| Expressions and relationships, including formulas and simple equations, can be demonstrated using words, diagrams, materials and symbols to represent variables  e.g. relate the expression “the perimeter of a rectangle is equal to twice its length plus twice its width” to the corresponding diagram and the formulas perimeter = 2 × length + 2 × width or p = 2 × l + 2 × w; find the perimeter of a rectangle with length 8 cm and width 5 cm. |  | √ |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |
| Equations and expressions involving addition, subtraction and multiplication can be solved to establish equivalence  e.g. use materials, diagrams and number examples to explain why (2 × 6) + (3 × 6) = 5 × 6 and generalises to  (2 × n) + (3 × n) = 5 × n. |  |  |  |  |  |  |  | √ |  |  | √ |  |  |  |  |  |  |  |
| The order of operations identifies the appropriate sequence of operations used in calculations to obtain solutions  e.g. the order of operations is applied to solve 5 + 4 × 6 = 29. |  | √ |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |
| Tables of values for functions using input-output rules can be constructed and the resulting ordered pairs graphed  e.g. use a rule that explains the relationships between pairs of terms in a sequence to calculate the value of the 12th term in the sequence |  |  |  |  |  |  |  | √ |  |  | √ |  |  |  |  |  |  |  |

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| Measurement  *Relationships between units of measure and the attributes of length, area, volume, mass, time and angles are used to calculate measures that may contain some error.* | **Year 1 (2009-2010)** | | | | | | | | | **Year 2 (2010-2011)** | | | | | | | | |
| **Semester 1** | | | | | | **Semester 2** | | | **Semester 1** | | | | | | **Semester 2** | | |
| Term 1 | | | Term 2 | | | Term 3 | | | Term 1 | | | Term 2 | | | Term 3 | | |
| **Number** | **Algebra** | **Measurement** | **Number** | **Space** | **Chance & Data** | **Number** | **Algebra** | **Measurement** | **Number** | **Algebra** | **Chance & Data** | **Number** | **Space** | **Measurement** | **Number** | **Chance & Data** | **Space** |
| Timetables and duration of events involving both 12- and 24-hour time cycles and Australian time zones can be calculated  e.g. calculate the length of a flight between the east and west coast of Australia, taking into account the time difference. |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |
| Appropriate instruments, technologies and scale are used when exploring measurement of length, area, volume, mass, time and angles where not all of the graduations are numbered  e.g. reading a speedometer between 60 km/h and 70 km/h. |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Relationships exist within the International System (SI) of measures, including between mm, cm, m and km; kg and t; cm2 and m2; cm3 and m3  e.g. a load of mulch has a mass of 2500 kg = 2.5 t. |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Relationships between attributes of regular 2D shapes and 3D objects can be used to develop rules that allow perimeter, area and volume to be calculated  e.g. using base area height to find the volume of a triangular prism. |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |
| Measurement involves error, which can be reduced through the selection and use of appropriate instruments and technologies  e.g. if several students use a stopwatch to time a 100 m race, the winner’s time is only likely to be accurate to the nearest one-tenth of a second because of different reaction times. |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |
| Estimation strategies are used to identify a reasonable range of values for a measurement  e.g. the liquid left in a partially full 1 L bottle is estimated to the nearest 50 ml. |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

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| Chance and Data  Probability of events can be calculated from experimental data. Data can be summarised and represented to support inferences and conclusions. | **Year 1 (2009-2010)** | | | | | | | | | **Year 2 (2010-2011)** | | | | | | | | |
| **Semester 1** | | | | | | **Semester 2** | | | **Semester 1** | | | | | | **Semester 2** | | |
| Term 1 | | | Term 2 | | | Term 3 | | | Term 1 | | | Term 2 | | | Term 3 | | |
| **Number** | **Algebra** | **Measurement** | **Number** | **Space** | **Chance & Data** | **Number** | **Algebra** | **Measurement** | **Number** | **Algebra** | **Chance & Data** | **Number** | **Space** | **Measurement** | **Number** | **Chance & Data** | **Space** |
| Events have different likelihoods of occurrence and estimates of probability can be expressed as percentages, common fractions or decimal fractions between 0 and 1  e.g. the likelihood of drawing a red card from a 52-card pack can be represented as 50%, 1/2 or 0.5. |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |
| Experimental data for chance events can be compared with theoretical probability  e.g. comparing the data gathered from tossing a six-sided dice 50 times with the theoretical probability of how many times the dice would land on a 6. |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |
| Data may be discrete and can be allocated to categories or numbered  e.g. gender is a discrete variable; the numbers of male and female students in a class. |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |
| Data may be continuous and described as distributions of quantities  e.g. growth of a plant; time elapsed. |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |
| Sample data drawn from a given population can be summarised, compared and represented in a variety of ways  e.g. two-way tables; pie charts; bar or line graphs. |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |
| Measures of location such as mean, median and mode, and frequency and relative frequency, can be used to explore distributions of sample data  e.g. the mean is the averaged daily water consumption for the school across a period of days; the median is the middle value of the ordered daily water consumption; the mode is the most common daily water consumption level; relative frequency is the chance of landing on red when using a spinner with four equal sectors that are coloured differently. |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |
| Variation and possible causes of bias can be identified in data collections  e.g. the method of collection may exclude possible participants; the personal opinions of participants may obscure data collection. |  |  |  |  |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |

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| Space  *Geometric conventions can be used to classify, represent and manipulate geometric shapes. Mapping conventions can be applied in the construction and use of maps and plans.* | **Year 1 (2009-2010)** | | | | | | | | | **Year 2 (2010-2011)** | | | | | | | | |
| **Semester 1** | | | | | | **Semester 2** | | | **Semester 1** | | | | | | **Semester 2** | | |
| Term 1 | | | Term 2 | | | Term 3 | | | Term 1 | | | Term 2 | | | Term 3 | | |
| **Number** | **Algebra** | **Measurement** | **Number** | **Space** | **Chance & Data** | **Number** | **Algebra** | **Measurement** | **Number** | **Algebra** | **Chance & Data** | **Number** | **Space** | **Measurement** | **Number** | **Chance & Data** | **Space** |
| Geometric conventions, including length, angle size and relationships between faces, are used to classify 2D shapes and 3D objects, including part and composite shapes  e.g. isosceles triangles have two equal sides and two equal base angles. |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 2D shapes can be sketched or accurately represented, using drawing instruments and software, to reflect their geometric properties  e.g. using a pair of compasses and a straight edge, or geometry software, to draw a plan for a kite. |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 3D objects can be constructed from plans, nets and isometric diagrams  e.g. constructing a model of the buildings in a street using multi-link cubes. |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Congruent shapes are the same shape and size and can be superimposed on one another through a sequence of transformations, involving reflections, rotations and translations  e.g. constructing a mosaic pattern from a plan drawn to scale. |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Points, lines and planes of symmetry can be identified in shapes and objects and can be related to transformations and tessellations of suitable shapes in the plane  e.g. the plane containing the Equator on a globe of the Earth; the application of symmetry in the construction of an origami design. |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Maps and plans can be constructed and interpreted to identify a specific location, to plan movement from one location to another, and to calculate distance between locations  e.g. planning a holiday route to travel from one city to another. |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Mapping conventions, including coordinates, compass points and scale, are used to specify and identify locations on maps and plans  e.g. applying coordinates, compass points and scale when orienteering. |  |  |  |  | √ |  |  |  |  |  |  |  |  |  |  |  |  |  |